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Summary

Motivation

- Measuring node proximity is important with many practical applications including clustering, ranking, and anomaly detection
- Random walk with restart (RWR) is a widely-used measure for node proximity in graphs
- However, for hypergraphs, fast computation of RWR has been unexplored

Proposed Algorithm: ARCHER

- We propose two computation methods for RWR on hypergraphs that are complementary (i.e., offering relative advantages on different hypergraphs)
- We propose ARCHER, which adaptively and efficiently selects a computation method
- We propose an application of RWR on hypergraphs to anomaly detection

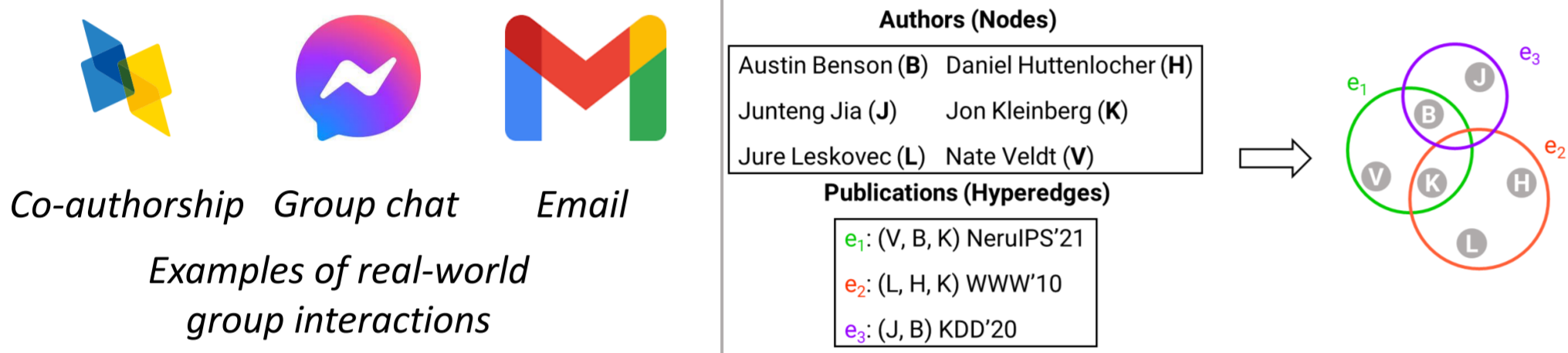
Contribution

- Efficient:** ARCHER is fast and space-efficient
- Complementary Computation Algorithms:** Two computation methods are complementary depending on datasets
- Automatic Selection:** ARCHER accurately selects between two computation methods
- Anomaly Detection:** RWR on hypergraphs are useful for anomaly detection tasks

Introduction

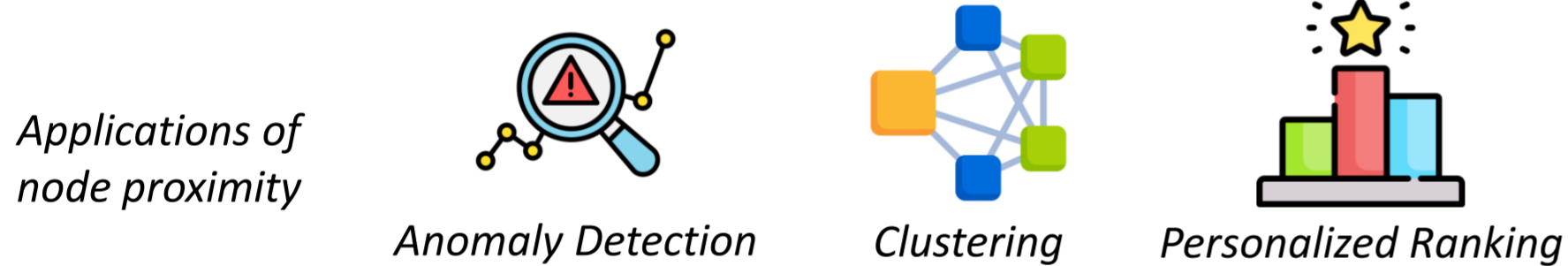
Hypergraph

- Hypergraphs model group interactions among individuals or objects



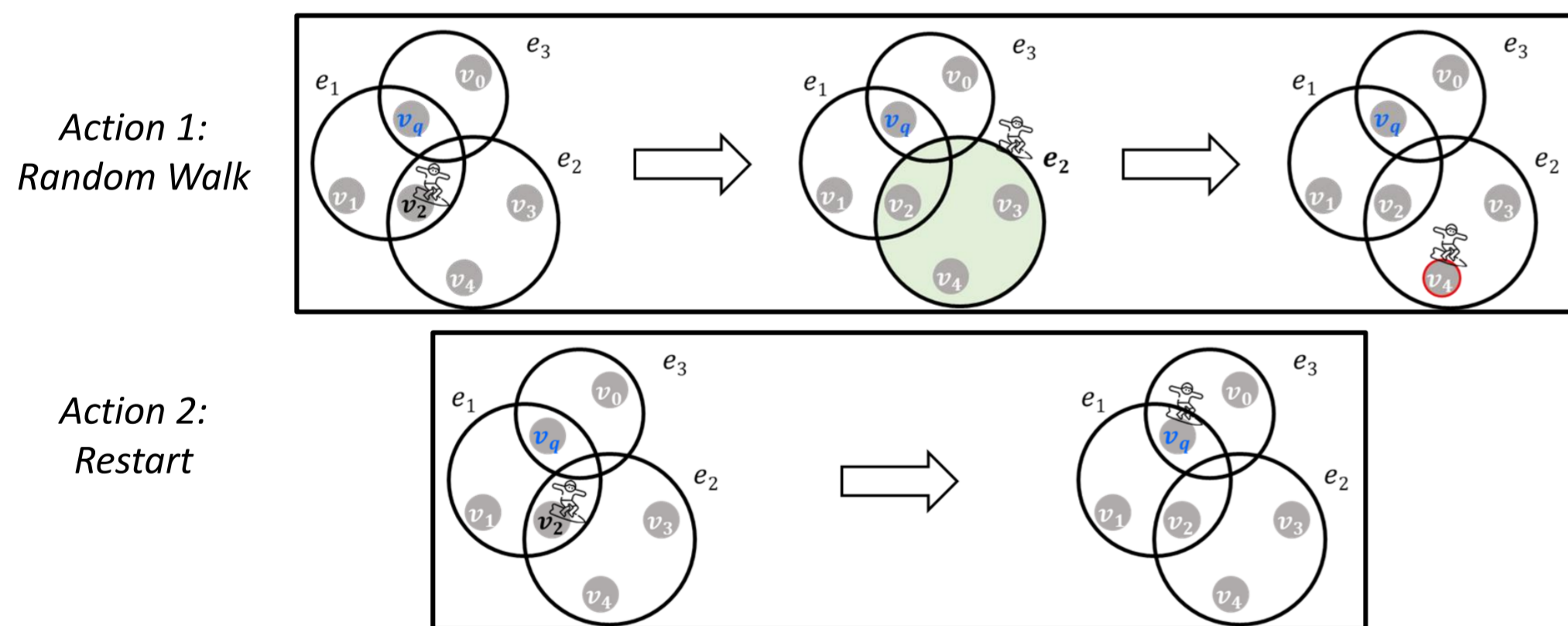
Measuring Proximity between Nodes

- Measuring proximity between nodes on hypergraphs has many practical applications
- A widely used method is **Random Walk with Restart (RWR)**



Random Walk with Restart (RWR) on Hypergraph

- Stationary probability of a "random surfer" over the nodes
- Random walk (with probability $1 - c$)
 - Select a hyperedge e containing current node
 - Move to a node v selected from hyperedge e
- Restart at the query node (with probability c)



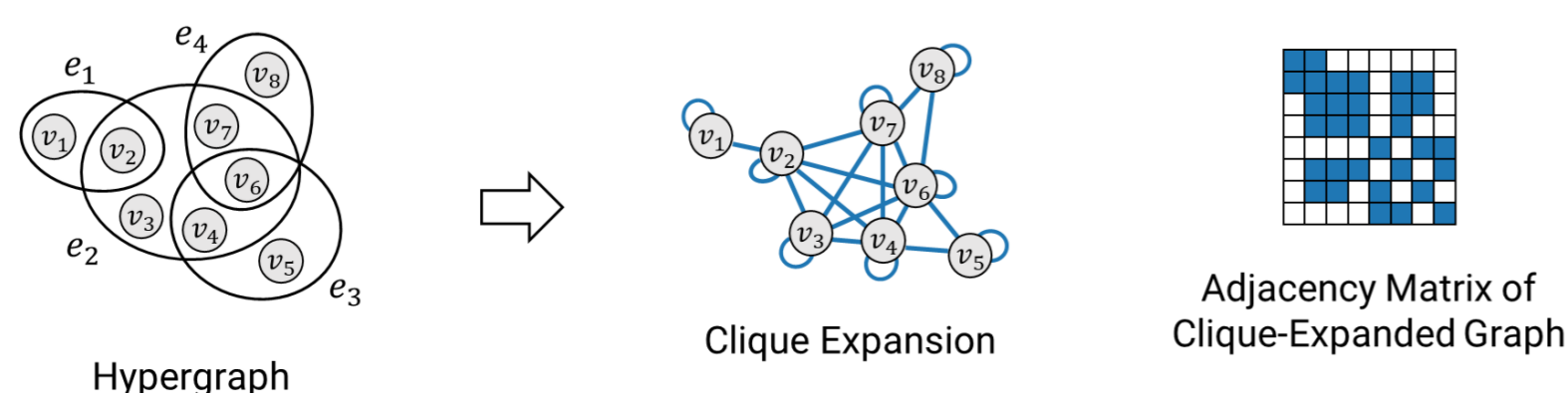
Proposed Algorithm: ARCHER

Formal Task Description

- Given**
 - Hypergraph $G_H = (V, E)$
 - node set V and hyperedge set E
 - Query node v_q
 - Restart probability c
- Output:** RWR scores between each node and v_q

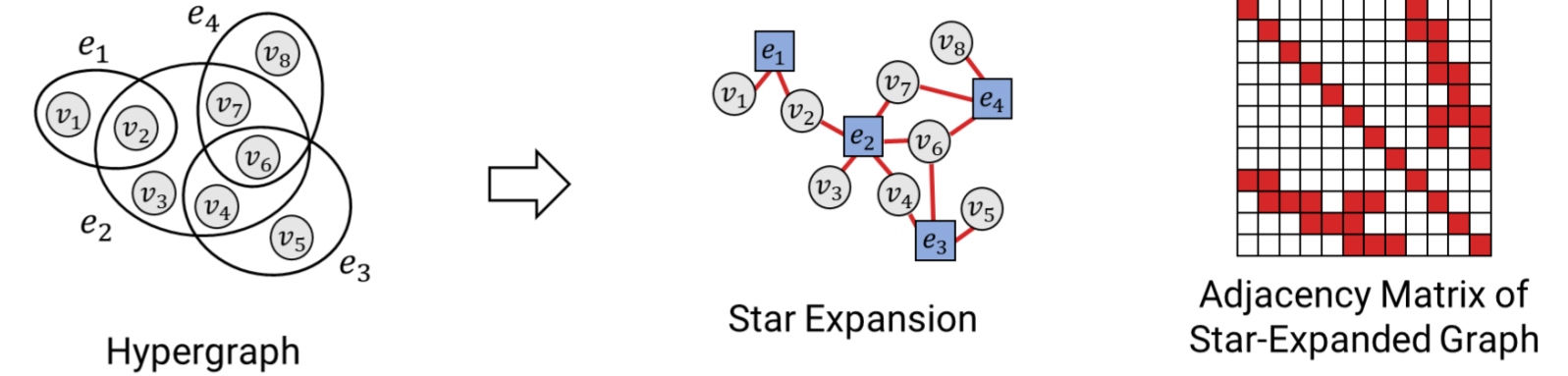
Component 1: Clique-expansion-based Method

- Clique-expansion:** a graph constructed from hypergraph by replacing each original hyperedge with a clique
- RWR on hypergraph can be reduced to RWR on clique-expanded graph with edge weights



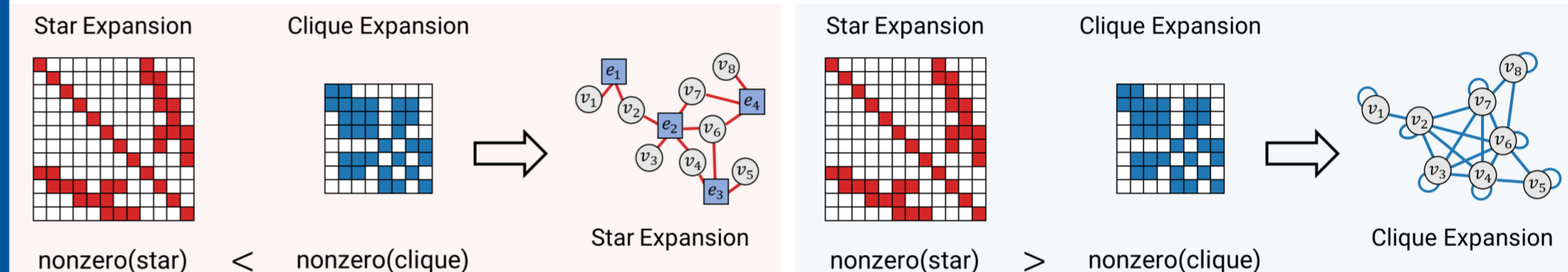
Component 2: Star-expansion-based Method

- Star-expansion:** a graph constructed from hypergraph by
 - aggregating nodes and hyperedges into new set of nodes
 - adding edges between each pair of incident node and hyperedge
- RWR on hypergraph can be reduced to RWR on star-expanded graph with edge weights



Component 3: Automatic Selection Method

- For RWR computation, we preprocess the expanded graph into parameters
- Cost of preprocessing vary based on dataset
 - Case 1: star-expansion is efficient (up to 137.6x less time, 16.2x less space)
 - Case 2: clique-expansion is efficient (up to 6.4x less time, 9.6x less space)
- Hint: empirically cost of RWR depends on **non-zeros of adjacency matrix**



Application: Anomaly Detection

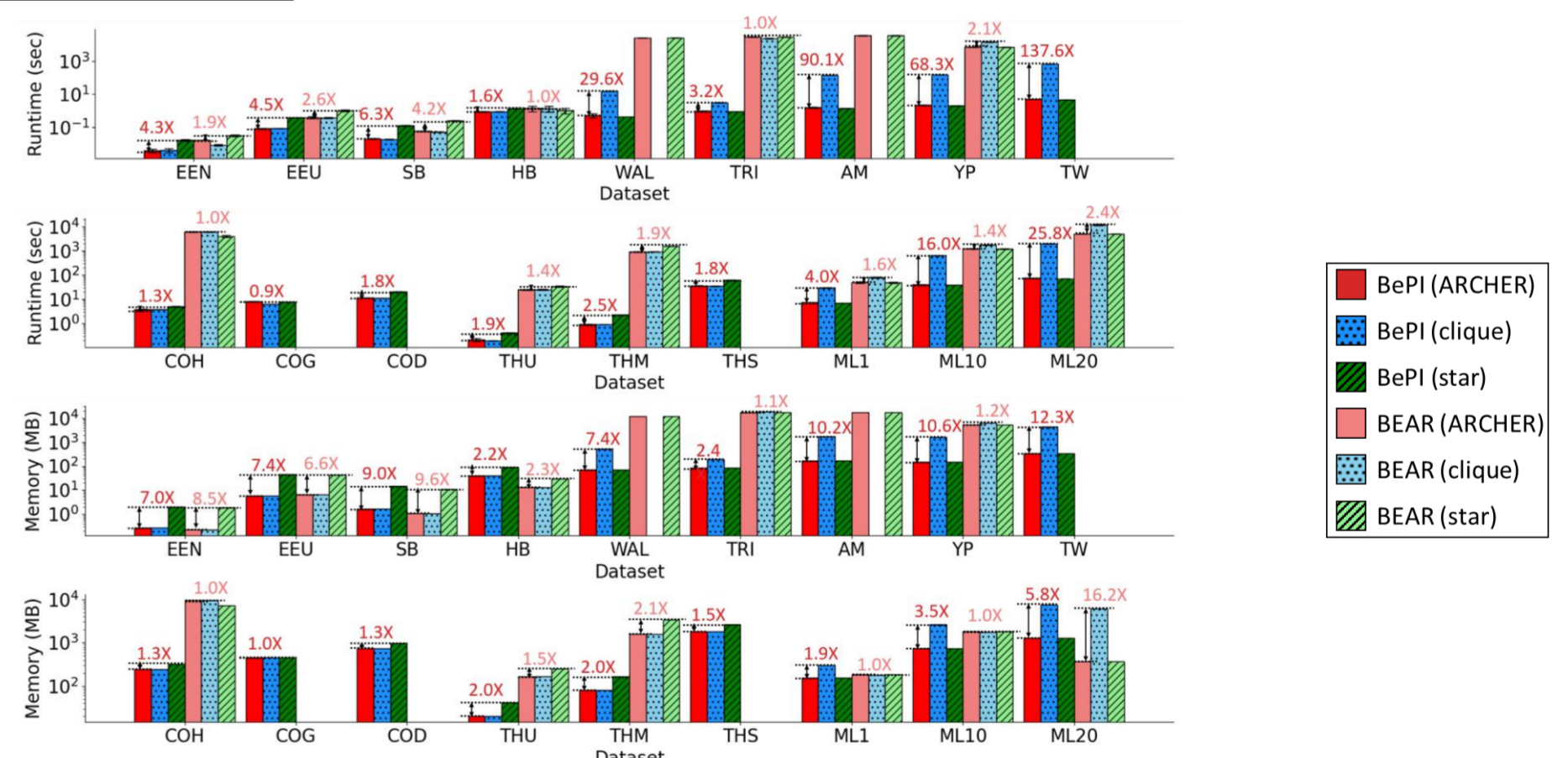
Anomaly Detection on Hypergraph

- Task:** Given a hypergraph, detect anomalous hyperedges
- Proposed Method:** Define the normality score of a hyperedge as the average of RWR scores between all pairs of nodes within the hyperedge
- Normality score $ns(e) = \frac{1}{|e|(|e|-1)} \sum_{u \in e} \sum_{v \in e \setminus \{u\}} r_{u \rightarrow v}$
- ARCHER** accelerates the computation of the normality score

Experimental Results

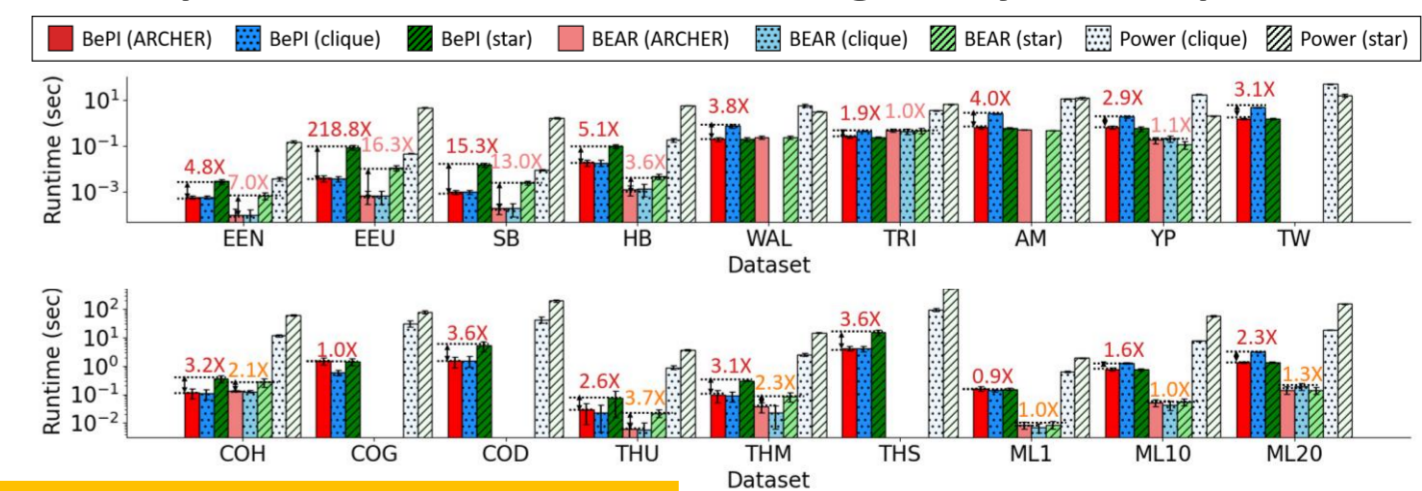
Q1) Preprocessing Cost

- ARCHER takes up to 137.6x less time, and 16.2x less space than using always one expansion method**



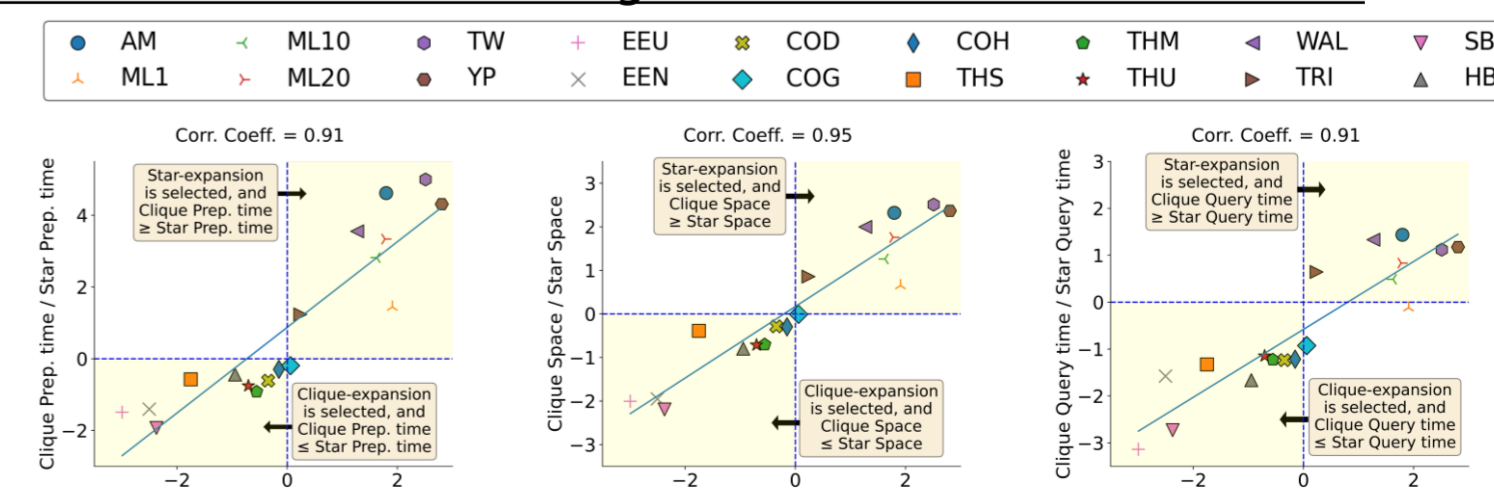
Q2) Query Time

- ARCHER takes up to 218.8x less time than using always one expansion method**



Q3) Automatic Selection Method

- Proposed non-zero ratio shows high correlation with the RWR costs**



Q4) Application to Anomaly Detection

- ARCHER outperforms baselines in 3 real-world datasets**

